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environment is under constant revision by students, faculty, and outside experts to supplant conventional paper-based books. Campus BookshelvesLearning Objects Home is shared under a not declared license and was authored, remixed, and/or curated by LibreTexts. Newton proposed three laws of motion that explain interactions
between solid objects, describing force, inertia, and reaction forces. Newton's three laws of motion were the first quantitative and predictive laws of mechanics. For over two hundred years, physicists were unable to produce any experiment that invalidated any one of these laws, and even today they function as close approximations for the vast
majority of real-world problems, which is why engineers still use them for calculations. Introduction to Newton's 3 Laws of Motion are fundamental principles that explain the behavior of objects in motion. Understanding these laws is essential for comprehending the basic principles of physics and engineering. The
first law of motion, also known as the law of inertia, states that an object in motion will remain at rest, and an object in motion will remain at rest, and an object in motion will remain its current state of motion or lack thereof. In other words, objects have a tendency
to resist changes in their state of motion. The second law of motion describes the relationship between the force applied to an object, its mass, and its acceleration. It states that the greater the force applied to an object, its mass, and its acceleration of an object, its mass. This means that the greater the force applied to an object, its mass, and its acceleration. It states that the greater the force applied to an object, its mass.
the greater its acceleration will be, and the greater its mass, the smaller its acceleration will be. The third law of motion is commonly known as the law of motion is common
opposite force on the first object. These forces are always present in pairs and act on different objects. First Law of Motion: Mass & Inertia, is a fundamental principle in physics. It states that an object at rest will remain at rest, and an object in motion will continue to move in a straight line at a
constant velocity unless acted upon by an external force. Objects at rest and that objects at rest. In reality, the first law applies to objects at rest and that objects at rest and that objects at rest and that objects at rest. In reality, the first law applies to objects at rest. In reality, the first law only applies to objects at rest.
unless acted upon by an external force. This law, while not validated by everyday experience, was easy to predict by adding friction to virtually every calculation of motion. This law was also the first mention in the history of relativity
Understanding Newton's First Law is important because it helps us understand why objects behave the way they do. It also helps us design and build things that move the way we want them to. For example, engineers use this law to design and build things that move the way we want them to. For example, engineers use this law to design cars that can brake and accelerate safely, airplanes that can take off and land smoothly, and even roller
coasters that provide a thrilling ride without endangering passengers. The Second Law: Force, Mass & Acceleration Newton's Second Law of Motion states that the acceleration of an object is directly proportional to its mass. In simpler terms, the heavier the object, the more force it will take to move
it, and the more force applied to an object, the faster it will accelerate. Any force applied to a body produces acceleration and that the product of the acceleration and the acceleration acceleration and the acceleration acceleration and the acceleration acceleratio
force acting on an object is proportional to the object's mass and the acceleration it experiences. This means that the second law applies to any object, whether it is accelerating or not. Also Check Out - How Kites Work - For Kids Understanding Newton's Second Law is crucial in many areas, such as engineering, physics, and sports. For instance, in
sports like baseball or golf, the amount of force applied to the ball determines the distance it will travel. Thus, by applying a greater force, you can make the ball travel farther. Third Law: Action & Reaction Newton's Third Law is commonly known as the Law of Action and Reaction. This law states that for every action, there is an equal and opposite
reaction. This means that if an object pushes or pulls on another object, the second object will push or pull back with the same force but in the opposite reaction. For every action there is an equal and opposite reaction As a result of this law, we get the fact that energy is always conserved in mechanical systems. Although this means that in every
exertion of force, the magnitudes of the forces are equal, the accelerate a lot faster than the large one. Newton's Third Law of Motion: Action Reaction Pairs - StickMan Physics Some people believe that the third law states that every action has an equal
and opposite reaction and that these forces cancel each other out. While it is true that the forces are equal and opposite, they do not cancel each other out. Instead, they act on two different object's mass is related to its
inertia and gravitational force. Real-world examples of Newton's 3 Laws Now that we have a basic understanding of the three laws of motion, let's take a look at the first law. Imagine you're in a car traveling at a high speed and suddenly the car comes to a stop
You'll feel a sudden jerk forward because of the inertia of your body. Similarly, when you're on a rollercoaster, you feel pushed back when the coaster suddenly stops. Next, let's consider the second law. A great example of this law can be seen when you're playing a game of pool. You use a cue stick to hit the ball, and the ball then goes in the direction
you aimed it towards. The force you applied to the ball with the stick caused it to move in the direction you wanted it to. Finally, let's look at the third law. A good example of this law can be seen when you're walking. When you take a step, you push the ground backward with your foot, and the ground pushes back with the same amount of force,
causing you to move forward. Newton's Laws of Motion in Space Understanding motion in space. The three laws form the basis of classical mechanics and are fundamental to our understanding motion in space. The three laws form the basis of classical mechanics and are fundamental to our understanding motion in space. The three laws form the basis of classical mechanics and are fundamental to our understanding motion in space.
will remain at rest, and an object in motion will remain in motion, at a constant velocity unless acted upon by an external force. This law explains why an object in space will continue to move with the same velocity and direction unless a force acts upon it. The second law states that the acceleration of an object is directly proportional to the force
acting on it and inversely proportional to its mass. This law explains how rockets can accelerate in space by expelling fuel in the opposite reaction. This law explains why rockets can be propelled forward in space by expelling fuel in the opposite
direction. Also Check Out - Physics of Ice and WaterHistory and Relevance Newton proposed the first two laws in a paper titled Principia Mathematica, and the invention of calculus, Newton's laws were the first laws that provided a complete explanation for
universal phenomena, which lasted over two hundred years until the discovery of light speed and relativistic mechanics. Importance of understanding Newton's Laws of Motion in everyday life. Although the laws were first formulated in the 17th century, they are still now the standing Newton's Laws of Motion in everyday life.
relevant today and can help us understand the world around us. For example, the first law states that an object at rest will stay at rest, and an object in motion will stay in motion unless acted upon by an external force. This means that if you are in a car and it suddenly comes to a stop, you will continue moving forward at the same speed until the
seatbelt or airbag stops you. Understanding this law can help us take necessary safety precautions while driving. The second law states that force equals mass times accelerate it. Similarly, if you are trying to move a heavy object, you will need to apply more force to accelerate it. Similarly, if you
are trying to lose weight, you will need to decrease your mass or increase your acceleration to see results. The third law states that for every action, there is an equal and opposite reaction. This law can be seen in action when we walk, swim, or ride a bike. Understanding this law can help us improve our performance in these activities and avoid
injury. Applications of Newton's Laws of Motion in Engineering and technology. These laws of Motion have a great impact on the field of engineering and technology. These laws of Motion in Engineering and technology Newton's Laws of Motion have a great impact on the field of engineering and technology.
inertia, is applied in seat belts and airbags. The seat belt is designed to keep the person seated in the car in case of a sudden stop, and the airbag is designed to reduce the impact of the collision on the body. The second law of motion, which explains the relationship between force, mass, and acceleration, is used in the design of airplanes, rockets, and
cars. Engineers use this law to calculate the amount of force required to move a certain mass at a certain acceleration, is used in the design of many machines, including engines and turbines. These machines work by creating a force that is equal and
opposite to the force applied to them. In addition to these practical applications, Newton's Laws of Motion are also used in the development of computer simulations before they are actually built. Significance of Newton's Laws of Motion
Understanding Newton's three laws of motion is essential for comprehending the fundamental principles of physics. These laws describe how objects will behave when acted upon by external forces, and they are the foundation for many scientific principles and technological advancements we rely on today. These laws have significant real-world
applications in countless fields, from engineering and transportation to sports and entertainment. The principles of Newton's laws can be seen in everything from the motion of a rocket ship to the acceleration of a ball when it is thrown. We hope you enjoyed our beginner's guide to understanding Newton's 3 Laws of Motion! These laws of physics can
be intimidating at first, but once you grasp the basics, they become much more accessible. Knowing these laws can help you understand how objects move and interact with each other, which is important in many areas of life, from engineering to sports. We encourage you to continue learning and exploring the fascinating world of physics, and don't
hesitate to reach out if you have any further questions! Further Reading Scheck, Florian. From Newton's Laws to Deterministic Chaos, Springer, 2009. Welcome to Edumir! This site contains some useful articles are accessible for absolutely free. The motive is to provide free content to students who
prefer self-study with the help of the Internet.Sample ArticlesWhat are Intrinsic and extrinsic semiconductors. All semiconductors are not the same. There are two types of semiconductors - intrinsic and extrinsic semiconductors.
Extrinsic semiconductors are divided into two types - n-type and p-type semiconductors. In this article, we're going to discuss What are Intrinsic and Extrinsic Semiconductors, how are they produced, their examples and their differences. Contents of this article: What ... Read more Electrical components used in electronic & electric circuit March 20
2021An electrical circuit consists of some electrical components and a source of voltage or current. These circuit components perform all the activities in a circuit. Examples of some electrical components are resistors, capacitors, inductors, diodes, transistors
etc. In this article, I'm going to discuss some important electronic circuit components with their ... Read more Applications of Zener diode as voltage regulator March 21, 2021We already discussed the Semiconductor material and a semiconductor device p-n junction diode. From the latter one, we became to know that a normal P-N
junction diode cannot operate at high reverse bias voltage because of the breakdown in diodes. To operate at high reverse bias voltage, a diode is to be designed in a special way. Zener diode is to be designed in a special way. Zener diode is to be designed in a special way. Zener diode is to be designed in a special way. Zener diode is to be designed in a special way. Zener diode is to be designed in a special way. Zener diode is to be designed in a special way. Zener diode is to be designed in a special way. Zener diode is to be designed in a special way. Zener diode is to be designed in a special way. Zener diode is to be designed in a special way. Zener diode is to be designed in a special way. Zener diode is to be designed in a special way. Zener diode is to be designed in a special way. Zener diode is to be designed in a special way. Zener diode is to be designed in a special way. Zener diode is to be designed in a special way. Zener diode is to be designed in a special way. Zener diode is to be designed in a special way. Zener diode is to be designed in a special way. Zener diode is to be designed in a special way. Zener diode is to be designed in a special way. Zener diode is to be designed in a special way. Zener diode is to be designed in a special way. Zener diode is to be designed in a special way. Zener diode is to be designed in a special way. Zener diode is to be designed in a special way. Zener diode is to be designed in a special way. Zener diode is to be designed in a special way. Zener diode is to be designed in a special way. Zener diode is to be designed in a special way. Zener diode is to be designed in a special way.
learned the basic things about semiconductor materials. Now, we have entered into the applications of Semiconductors. Semiconductors the formation, characteristics curves, depletion layer, potential barrier, bias circuit
diagram, working principle and uses of a p-n junction diode. Contents of this article: ... Read more Differences between NPN and PNP Transistor is one of the basic circuit components for electronic devices. The main purpose of a Transistor is one of the basic circuit components for electronic devices.
PNP. In another article, we discussed the construction, symbol and other properties of BJT Transistors based on those properties. Differences between NPN and PNP ... Read moreIntroduction to BJT Transistor - NPN and PNPMarch 30, 2021Bipolar Junction
Transistor (BJT) is one of the very important electronic circuit components in the world of electronics. Scientist William Shockley discovered the first Transistors are widely used in analog and digital electronics. In short,
semiconductor diodes and transistors are the basic components of electronic devices. In this article, we're going to ... Read moreInput and output characteristics of a Transistor April 3, 2021In another article, we have discussed the Bipolar Junction Transistor and the differences between NPN and PNP transistors. Transistor characteristic curve is a
very useful thing to understand the basic principle and operation of a Transistor. In this article, we're going to discuss the input and output characteristics of a Transistor. The main discussion is on the transistor characteristics of a Transistor. The main discussion is on the transistor. In this article, we're going to discuss the input and output characteristics of a Transistor. The main discussion is on the transistor.
unitsApril 5, 2021In the first two articles on Electrostatics, we learned about electric charge produces an electric field and a moving charge produces and their distributions on a Conductor. We became to know that a static electric charge produces an electric field and a moving charge produces and their distributions on a Conductor.
electric field. In this article, I'm going to explore the Electronic devices like TV, radio, tape recorder, etc. require
amplifiers for their operations. These devices do not operate in the same way. Some devices need to amplify the current, some devices require to amplify voltage, etc. Again, in some devices need to amplify the current, some devices require to amplify voltage, etc. Again, in some devices need to amplify the current, some devices require to amplify the current, some devices require to amplify voltage, etc. Again, in some devices need to amplify voltage, etc. Again, in some devices need to amplify the current, some devices require to amplify voltage, etc. Again, in some devices need to amplify voltage, etc. Again, in some devices need to amplify voltage, etc. Again, in some devices need to amplify the current, some devices need to amplify voltage, etc. Again, in some devices need to amplify voltage, etc. Again, in some devices need to amplify voltage, etc. Again, in some devices need to amplify voltage, etc. Again, in some devices need to amplify voltage, etc. Again, in some devices need to amplify voltage, etc. Again, in some devices need to amplify voltage, etc. Again, in some devices need to amplify voltage, etc. Again, in some devices need to amplify voltage, etc. Again, in some devices need to amplify voltage, etc. Again, in some devices need to amplify voltage, etc. Again, in some devices need to amplify voltage, etc. Again, in some devices need to amplify voltage, etc. Again, in some devices need to amplify voltage, etc. Again, in some devices need to amplify voltage, etc. Again, in some devices need to amplify voltage, etc. Again, in some devices need to amplify voltage, etc. Again, in some devices need to amplify voltage, etc. Again, in some devices need to amplify voltage, etc. Again, in some devices need to amplify voltage, etc. Again, in some devices need to amplify voltage need to amplify 
about electric charges, electric charges of the same sign will go away and opposite charges move due to electric field lines or electric field lines o
lines of force. In ... Read more7 types of Electromagnetic waves in the spectrumApril 8, 2021A static charge produces a magnetic field around it. But how electromagnetic waves are produces a magnetic field around it. But how electromagnetic field around it. But how electromagnetic field around it.
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needle or compass placed near a current-carrying wire. This concludes that a current-carrying wire can produce a magnetic field around it. In another article, we have discussed the Origin, definition, unit and dimension of magnetic field around it. In another article, we have discussed the Origin, definition, unit and dimension of magnetic field around it.
possible ... Read moreMagnetic Field intensity - formula, definition & conceptApril 10, 2021If we bring a bar magnet near another bar magnet stream another bar magnet then a force acts between the magnets repel and opposite poles attract each other. This interaction is very similar to electric charges, but not exactly. Now question is, what makes this
to happen? The answer is the magnetic field lines with diagramApril 11, 2021Earlier we have discussed the Electric field and Electric field lines. Similar to the electric field lines, there exist magnetic field lines
in a Magnetic field. In this article, we are going to discuss the definition and the properties of Magnetic field lines for a bar magnetic field lines? ... Read moreProperties of electric charge class 12 physicsApril 11, 2021We
have discussed almost everything on electric charges in another article (link is given in the related posts section at below). In this article, we are going to discuss the basic properties of an electric charge? Properties of electric charge
Quantization of electric charge Electronic Theory of Charge Law ... Read moreBasic logic gates with truth tables and diagramsApril 12, 2021Logic gates are the basic building blocks of digital electronics that follow different computations. Digital
electronic devices contain integrated circuits (ICs) which are made of logical gates. In this article, we're going to explore basic logic gates with truth tables, circuit diagrams, Boolean expressions, operations and uses. This will be helpful for the students of ... Read moreFor more articles, please go through the menu bar or the Categories at the right
sidebar. Newton's laws of motion are a set of three laws that govern the motion of an object. They describe a relationship between the motion of objects. The laws have been
named after English mathematician and physicist Sir Isaac Newton. He published them in 1687. There are three laws of motion due to Newton. They are known as First, Second, and Third Laws. Newton's Laws of Motion Statement: "An object at rest remains at a constant speed and in a straight line unless acted
upon by an unbalanced force". According to the first law, an object cannot start, stop, or change direction all by itself. In order to cause an action, it will require force. Consider the case where the object is at rest. It is because either no forces act on it or all the external forces cancel each other. It will remain at rest unless an unbalanced force
displaces it. Example: A book lying on a table. Consider the case where the object is moving at a constant speed and remain in a straight line as long as no external force, the object will either change its direction, accelerate or decelerate, or come to a
stop. Example 1: A car moving on a road at a constant speed comes to a stop when the brakes are applied. Here, the action of applying brakes is the force responsible for stopping the car. Example 2: A balloon moving in a straight line will continue to move in the same direction unless the wind sweeps it and changes its direction. Here, the wind is the
force responsible for changing the direction of the balloon. The balloon can come to a stop if it is stuck in a tree. In this case, the tree applies force responsible for changing the motion, its acceleration depends upon its mass and the applied force".
The second law defines a force on an object given by the product of its mass and acceleration. Consider two objects, the lighter one will move faster than the heavier one. Example 1: A rock rolling down a hill due to gravity. It will roll down with a constant
acceleration, whose value will depend upon the mass of the rock and the air with acceleration of the hill. Example 2: A ball falling through the air with acceleration due to gravity. This force is equal to the ball's weight. A heavier ball
will experience more force. Equation: Mathematically, the second law is written as follows. Force (F) = mass (m) x acceleration (a) Or, F = ma Statement: "If one object exerts an equal and opposite force on the first object". According to the third law, for every action, there is an equal and
opposite reaction. Consider two objects A and B colliding with one another. A strikes B with force, which is the action and reaction forces are equal and opposite. Therefore, this law is also known as action-reaction law. Example 1: The thrust of a rocket
produces the force required to lift the rocket from Earth. Here, the thrust is the action, and the lift of the rocket is the reaction. Example 2: When a person stands on Earth's surface, they experience a force due to gravity. The person's weight is the action, and the lift of the rocket from Earth. Here, the thrust is the reaction. Example 2: When a person stands on Earth's surface, they experience a force due to gravity. The person's weight is the action, and the lift of the rocket from Earth.
December 20, 2021 Newton's laws of motion are three physical laws that describe the relationship between a body and the force gualitatively, the second law offers a quantitative measure of the force, and the third asserts that a single isolated force
doesn't exist. In this article, Newton's laws of motion and their practical implications are explained. A. Newton's first law Newton's first law Newton's first law states that an object will remain at rest or in uniform motion in a straight line unless acted upon by an external force. Where it Applies Consider a wagon as illustrated in Figure 1. In the absence of an external
force, the wagon will not move. When pulling the wagon with some amount of force (F), it accelerates and starts to move. Thus, Newton's first law can be demonstrated. Newton's first law can be demonstrated. Newton's first law can be demonstrated.
remain idle until someone kicks it. Figure 1: Newton's First Law B. Newton's Second Law Newton's second law states that the acceleration of an object as produced by a net force, and inversely proportional to the mass of the object. Where it Applies
Consider two wagons, as illustrated in Figure 2, where the weight placed on the first wagon (m2) is higher than the second wagon (m2). This shows that net force is inversely
proportional to the mass of the object. Figure 2: Newton's Second Law C. Newton's Third Law Newton's third law states that for every action, there is a pair of forces acting on the two interacting objects. Where it Applies In a vertical launch of a rocket (Figure 3), the
weight of the rocket and drag (air resistance) act downwards. The thrust from the propulsion of the rocket moves upwards. When the thrust force is higher than the combined forces of weight and drag, then the propulsion of the rocket moves upwards. When the thrust force is higher than the combined forces of weight and drag, then the rocket moves upwards. Figure 3: Newton's Third Law Summary Newton's first law states that an object will remain at rest or in uniform
expressed as . Newton's third law states that for every action, there is an equal and opposite reaction. Share — copy and redistribute the material in any medium or format for any purpose, even commercially. The licensor cannot revoke these freedoms as longer than the material for any purpose, even commercially. The licensor cannot revoke these freedoms as longer than the material for any purpose, even commercially. The licensor cannot revoke these freedoms as longer than the material for any purpose, even commercially.
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exception or limitation. No warranties are given. The license may not give you all of the permissions necessary for your intended use. For example, other rights such as publicity, privacy, or moral rights may limit how you use the material. Science Astronomy Newton's laws of motion, three statements describing the relations between the forces
acting on a body and the motion of the body, first formulated by English physicist and mathematician Isaac Newton, which are the foundation of classical mechanics. basketball; Newton's laws of motionWhen a basketball player shoots a jump shot, the ball always follows an arcing path. The ball follows this path because its motion obeys Isaac
Newton's laws of motion. Newton's first law states that if a body is at rest or moving at a constant speed in a straight line, it will remain at rest or keep moving in a straight line at constant speed unless it is acted upon by a force. In fact, in classical Newtonian mechanics, there is no important distinction between rest and uniform motion in a straight
line; they may be regarded as the same state of motion seen by different observers, one moving at the same velocity as the particle and the other moving at constant velocity with respect to the particle. This postulate is known as the law of inertia. The law of inertia was first formulated by Galileo Galilei for horizontal motion on Earth and was later
generalized by René Descartes. Although the principle of inertia is the starting point and the fundamental assumption of classical mechanics and in ordinary experience, objects that are not being pushed tend to come to rest. The law of inertia was deduced by Galileo
from his experiments with balls rolling down inclined planes. For Galileo, the principle of inertia was fundamental to his central scientific task: he had to explain how is it possible that if Earth is really spinning on its axis and orbiting the Sun, we do not sense that motion. The principle of inertia helps to provide the answer: since we are in motion
together with Earth and our natural tendency is to retain that motion, Earth appears to us to be at rest. Thus, the principle of inertia, far from being a statement of the obvious, was once a central issue of scientific contention. By the time Newton had sorted out all the details, it was possible to accurately account for the small deviations from this
picture caused by the fact that the motion of Earth's surface is not uniform motion in a straight line (the effects of rotational motion are discussed below). In the Newtonian formulation, the common observation that bodies that are not pushed tend to come to rest is attributed to the fact that they have unbalanced forces acting on them, such as friction
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Centrifugal force reactive Coriolis force Pendulum Tangential speed Rotational frequency Angular acceleration / displacement / frequency / velocity Scientists Kepler Galileo Huygens Newton Horrocks Halley Maupertuis Daniel Bernoulli Johann Bernoulli Euler d'Alembert Clairaut Lagrange Laplace Poisson Hamilton Jacobi Cauchy Routh Liouville
Appell Gibbs Koopman von Neumann Physics portal Categoryvte Newton's laws of motion are three physical laws that describe the relationship between the motion of an object and the forces acting on it. These laws, which provide the basis for Newtonian mechanics, can be paraphrased as follows: A body remains at rest, or in motion at a constant
speed in a straight line, unless it is acted upon by a force. At any instant of time, the net force on a body's momentum is changing with time. If two bodies exert forces on each other, these forces have the same magnitude but opposite directions.[1][2]
The three laws of motion were first stated by Isaac Newton in his Philosophiæ Naturalis Principles of Natural Philosophy), originally published in 1687.[3] Newton used them to investigate and explain the motion of many physical objects and systems. In the time since Newton, new insights, especially around the
concept of energy, built the field of classical mechanics on his foundations. Limitations to Newton's laws are often stated in terms of point or
particle masses, that is, bodies whose volume is negligible. This is a reasonable approximated as pointlike when considering the orbit of the
former around the latter, but the Earth is not pointlike when considering activities on its surface. [note 1] The mathematical description of motion, or kinematics, is based on the idea of specifying positions using numerical coordinates. Movement is represented by these numbers changing over time: a body's trajectory is represented by a function that
 assigns to each value of a time variable the values of all the position coordinates. The simplest case is one-dimensional, that is, when a body is constrained to move only along a straight line. Its position coordinates. The simplest case is one-dimensional, that is, when a body is constrained to move only along a straight line. Its position can then be given by a single number, indicating where it is relative to some chosen reference point. For example, a body might be free to slide along
a track that runs left to right, and so its location can be specified by its distance from a convenient zero point, or origin, with negative numbers indicating positions to the left and positions to the right. If the body's location as a function of time is s (t) {\displaystyle s(t)}, then its average velocity over the time interval from
t 0 {\displaystyle t \{0\}} to t 1 {\displaystyle t \{1\}} is[6] \Delta s \Delta t = s ( t 1 ) - s ( t 0 ) t 1 - t 0 . {\displaystyle \Delta s} {\Delta t} = {\frac {\s(t_{1})-s(t_{0})}}.} Here, the Greek letter \Delta {\displaystyle \Delta t} = s ( t 1 ) - s ( t 0 ) t 1 - t 0 . {\displaystyle \Delta s} {\Delta t} = s ( t 1 ) - s ( t 0 ) t 1 - t 0 . {\displaystyle \Delta t} = s ( t 1 ) - s ( t 0 ) t 1 - t 0 . {\displaystyle \Delta t} = s ( t 1 ) - s ( t 0 ) t 1 - t 0 . {\displaystyle \Delta t} = s ( t 1 ) - s ( t 0 ) t 1 - t 0 . {\displaystyle \Delta t} = s ( t 1 ) - s ( t 0 ) t 1 - t 0 . {\displaystyle \Delta t} = s ( t 1 ) - s ( t 0 ) t 1 - t 0 . {\displaystyle \Delta t} = s ( t 1 ) - s ( t 0 ) t 1 - t 0 . {\displaystyle \Delta t} = s ( t 1 ) - s ( t 0 ) t 1 - t 0 . {\displaystyle \Delta t} = s ( t 1 ) - s ( t 0 ) t 1 - t 0 . {\displaystyle \Delta t} = s ( t 1 ) - s ( t 0 ) t 1 - t 0 . {\displaystyle \Delta t} = s ( t 1 ) - s ( t 0 ) t 1 - t 0 . {\displaystyle \Delta t} = s ( t 1 ) - s ( t 0 ) t 1 - t 0 . {\displaystyle \Delta t} = s ( t 1 ) - s ( t 0 ) t 1 - t 0 . {\displaystyle t} = s ( t 1 ) - s ( t 0 ) t 1 - t 0 . {\displaystyle t} = s ( t 1 ) - s ( t 0 ) t 1 - t 0 . {\displaystyle t} = s ( t 1 ) - s ( t 0 ) t 1 - t 0 . {\displaystyle t} = s ( t 1 ) - s ( t 0 ) t 1 - t 0 . {\displaystyle t} = s ( t 1 ) - s ( t 0 ) t 1 - t 0 . {\displaystyle t} = s ( t 1 ) - s ( t 0 ) t 1 - t 0 . {\displaystyle t} = s ( t 1 ) - s ( t 0 ) t 1 - t 0 . {\displaystyle t} = s ( t 1 ) - s ( t 0 ) t 1 - t 0 . {\displaystyle t} = s ( t 1 ) - s ( t 0 ) t 1 - t 0 . {\displaystyle t} = s ( t 1 ) - s ( t 0 ) t 1 - t 0 . {\displaystyle t} = s ( t 1 ) - s ( t 0 ) t 1 - t 0 . {\displaystyle t} = s ( t 1 ) - s ( t 0 ) t 1 - t 0 . {\displaystyle t} = s ( t 1 ) - s ( t 0 ) t 1 - t 0 . {\displaystyle t} = s ( t 1 ) - s ( t 0 ) t 1 - t 0 . {\displaystyle t} = s ( t 1 ) - s ( t 0 ) t 1 - t 0 . {\displaystyle t} = s ( t 1 ) - s ( t 0 ) t 1 - t 0 . {\displaystyle t} = s ( t 1 ) - s ( t 0 ) t 1 - t 0 . {\displaystyle t} = s ( t 1 ) - s ( t 0 ) t 1 - t 0
 {\displaystyle s} increases over the interval in question, a negative average velocity indicates a net decrease over that interval, and an average velocity, a measure of a body's speed and direction of movement
at a single moment of time, rather than over an interval. One notation for the instantaneous velocity is to replace \Delta {\displaystyle v={\frac {ds}{dt}}.} This denotes that the instantaneous velocity is the derivative of the position with respect to time. It can roughly be
thought of as the ratio between an infinitesimally small change in position d s {\displaystyle ds} to the infinitesimally small time interval d t {\displaystyle dt} over which it occurs.[7] More carefully, the velocity and all other derivatives can be defined using the concept of a limit.[6] A function f (t) {\displaystyle dt} has a limit of L {\displaystyle L}
at a given input value t 0 {\displaystyle t_{0}} if the difference between f {\displaystyle t_{
velocity as the time interval shrinks to zero: d s d t = lim \Delta t \rightarrow 0 s (t + \Delta t) - s (t) \Delta t. {\displaystyle {\frac {ds}{dt}}=\lim_{\Delta t\to 0} {\frac {s(t+\Delta t\to 0} {\frac {ds}{dt}}}=\lim_{\Delta t\to 0}} {\frac {ds}{dt}}=\lim_{\Delta t\to 0}} {\frac {cl} + \Delta t\to 0} {\frac {ds}{dt}}=\lim_{\Delta t\to 0}} 
t = \lim \Delta t \rightarrow 0 \ v \ (t + \Delta t) - v \ (t) \Delta t. {\displaystyle a={\frac {d^{2}}}}. Position, when thought of as a displacement from an origin point, is a vector: t = \lim \Delta t\to 0} {\frac {d^{2}}}}. Position, when thought of as a displacement from an origin point, is a vector: t = \lim \Delta t\to 0} {\frac {d^{2}}}}.
a quantity with both magnitude and direction.[9]: 1 Velocity and acceleration are vector quantities as well. The mathematical tools of vector algebra provide the means to describe motion in two, three or more dimensions. Vectors are often denoted with an arrow, as in s \to \{\text{lisplaystyle } \{\text{lispl
{s}}} . Often, vectors are represented visually as arrows, with the direction of the vector being the direction of the arrow. Numerically, a vector can be represented as a list; for example, a body's velocity vector might be v = (3 m/s, 4 m/s) {\displaystyle \mathbf {v} = (3 m/s, 4 m/s) {\displaystyle \mathbf {v}}
(\mathrm {3~m/s} ,\mathrm {4~m/s} )} , indicating that it is moving at 3 metres per second along the horizontal axis and 4 metres per second along the vertical axis. The same motion described in a different coordinate system will be represented by different numbers, and vector algebra can be used to translate between these alternatives.[9]:4 The
study of mechanics is complicated by the fact that household words like energy are used with a technical meaning.[10][11] Moreover, words which are synonymous in everyday speech are not so in physics: force is not the same as power or pressure, for example, and mass has a different meaning than weight.[12][13]:150 The physics concept of force
makes quantitative the everyday idea of a push or a pull. Forces in Newtonian mechanics are often due to strings and ropes, friction, muscle effort, gravity, and so forth. Like displacement, velocity, and acceleration, force is a vector quantity. Artificial satellites move along curved orbits, rather than in straight lines, because of the Earth's gravity
Translated from Latin, Newton's first law reads, Every object perseveres in its state of rest, or of uniform motion in a right line, unless it is compelled to change that state by forces impressed thereon. [note 3] Newton's first law expresses the principle of inertia: the natural behavior of a body is to move in a straight line at constant speed. A body's
motion preserves the status quo, but external forces can perturb this. The modern understanding of Newton's first law is that no inertial observer makes quantitative the everyday idea of feeling no effects of motion. For example, a person standing on the ground watching a train go past
is an inertial observer. If the observer on the ground sees the train moving smoothly in a straight line at a constant speed, then a passenger feels no motion. The principle expressed by Newton's first law is that there is no way to say which inertial observer is "really" moving and
which is "really" standing still. One observer's state of rest is another observer's state of uniform motion in a straight line, and no experiment can deem either point of view to be correct or incorrect. There is no absolute standard of rest.[18][15]:62-63[19]:7-9 Newton himself believed that absolute space and time existed, but that the only measures
of space or time accessible to experiment are relative. [20] The change of motion of an object is proportional to the force impressed; and is made in the direction of the straight line in which depends upon the amount of matter contained in a body,
the speed at which that body is moving, and the direction in which it is moving. [21] In modern notation, the momentum of a body is the product of its mass and its velocity: p = m \ v, {\displaystyle \mathbf {v} \,,} where all three quantities can change over time. In common cases the mass m {\displaystyle m} does not change with time
and the derivative acts only upon the velocity. Then force equals the product of the mass and the time derivative of the welocity, which is the acceleration is the second derivative of position with respect to time, this can also be
written F = m d 2 s d t 2. {\displaystyle \mathbf \{F\} = m \{ t \in \{d^{2}\} \}.} Newton's second law, in modern form, states that the time derivative of the momentum is the force:[23]:4.1 F = d p d t. {\displaystyle \mathbf \{F\} = \{f \in \{d^{2}\} \}.} When applied to systems of variable mass, the equation above is only
valid only for a fixed set of particles. Applying the derivative as in F = m d v d t + v d m d t (incorrect results.[24] For example, the momentum of a water
jet system must include the momentum of the ejected water:[25] F e x t = d p d t - v e j e c t d m d t. {\displaystyle \mathbf {F} _{\mathrm {d} t}.} A free body diagram for a block on an inclined plane, illustrating the
normal force perpendicular to the plane (N), the downward force of gravity (mg), and a force f along the direction of the plane that could be applied, for example, by friction or a string The forces acting on a body add as vectors, and so the total force on a body depends upon both the magnitudes and the directions of the individual forces.[23]:58 When
the net force on a body is equal to zero, then by Newton's second law, the body does not accelerate, and it is said to be in mechanical equilibrium. A state of mechanical equilibrium is unstable. [15]: 121 [23]: 174 A common
visual representation of forces acting in concert is the free body diagram, which schematically portrays a body of interest and the forces applied to it by outside influences. [26] For example, a free body diagram of a block sitting upon an inclined plane can illustrate the combination of gravitational force, "normal" force, friction, and string tension. [noterest and the forces applied to it by outside influences.
4] Newton's second law is sometimes presented as a definition of force, i.e., a force is that which exists when an inertial observer sees a body acceleration. However, Newton's second law not only merely defines the force by the acceleration:
forces exist as separate from the acceleration produced by the force in a particular system. The same force that is identified as producing accelerations (coming from that same force) will always be inversely proportional to the mass of the object. What Newton's
Second Law states is that all the effect of a force onto a system can be reduced to two pieces of information: the magnitude of the force might also be specified, like Newton's law of universal gravitation. By inserting such an expression for F
 {\displaystyle \mathbf {F} } into Newton's second law, an equation with predictive power can be written.[note 5] Newton's second law has also been regarded as setting out a research program for physics, establishing that important goals of the subject are to identify the forces present in nature and to catalogue the constituents of matter.[15]:134
[28]:12-2 However, forces can often be measured directly with no acceleration being involved, such as through weighing scales. By postulating a physical statement with the second law alone, the predictions of which can be verified even if no
force law is given. To every action, there is always opposed an equal reaction; or, the mutual actions of two bodies upon each other are always equal, and directed to contrary parts.[15]:116 Rockets work by creating unbalanced high pressure that pushes the rocket upwards while exhaust gas exits through an open nozzle.[30] In other words, if one
body exerts a force on a second body, the second body is also exerting a force on the first body, of equal magnitude in the opposite direction. Overly brief paraphrases of the third law, like "action" apply to different bodies. For example, consider as
book at rest on a table. The Earth's gravity pulls down upon the book. The "reaction" to that "action" is not the support force from the table holding up the book, but the gravitational pull of the book acting on the Earth.[note 6] Newton's third law relates to a more fundamental principle, the conservation of momentum. The latter remains true even in
cases where Newton's statement does not, for instance when force fields as well [note 7] In Newtonian mechanics, if two bodies have momentum is defined properly, in quantum mechanics as well. [note 7] In Newtonian mechanics, if two bodies have momentum is defined properly, in quantum mechanics, if two bodies have momentum is defined properly, in quantum mechanics as well. [note 7] In Newtonian mechanics
first term is the total force upon the first body, and the second term is the total force upon the second body. If the two bodies are isolated from outside influences, the only force upon the first body can be that from the second body. If the two bodies are isolated from outside influences, the only force upon the first body, and the second term is the total force upon the first body can be that from the second body. If the two bodies are isolated from outside influences, the only force upon the first body can be that from the second body. If the two bodies are isolated from outside influences, the only force upon the first body can be that from the second body. If the two bodies are isolated from outside influences, the only force upon the first body can be that from the second body. If the two bodies are isolated from outside influences, the only force upon the first body can be that from the second body. If the two bodies are isolated from outside influences, the only force upon the first body can be that from the second body. If the two bodies are isolated from outside influences, the only force upon the first body can be that from the second body. If the two bodies are isolated from outside influences, the only force upon the first body can be that from the second body. If the two bodies are isolated from outside influences, the outside influences are isolated from the first body can be the first body and the second from the first body can be the first body and the first body can be the first body and the first body are isolated from the first body are
and p {\displaystyle \mathbf {p} } is constant. Alternatively, if p {\displaystyle \mathbf {p} } is known to be constant, it follows that the forces have equal magnitude and opposite direction. Various sources have equal magnitude and opposite direction.
mass of a body made by bringing together two smaller bodies is the sum of their individual masses. Frank Wilczek has suggested calling attention by designating it "Newton's Zeroth Law".[37] Another candidate for a "zeroth law" is the fact that any instant, a body reacts to the forces applied to it at that instant.[38] Likewise, the
idea that forces add like vectors (or in other words obey the superposition principle), and the idea that forces change the energy of a body, have both been described as a "fourth law". [note 8] Moreover, some texts organize the basic ideas of Newtonian mechanics into different postulates, other than the three laws as commonly phrased, with the goal
of being more clear about what is empirically observed and what is true by definition.[19]:9[27] The study of the behavior of massive bodies using Newtonian mechanics are particularly noteworthy for conceptual or historical reasons. Main articles: Free fall and Projectile
motion A bouncing ball photographed at 25 frames per second using a stroboscopic flash. In between bounces, the ball's height as a function of time is close to being a parabola, deviating from a parabolic arc because of the Earth,
then in the absence of air resistance, it will accelerate at a constant rate. This is known as free fall. The speed attained during free fall is proportional to the elapsed time. [43] Importantly, the acceleration is the same for all bodies, independently of their mass. This follows from
combining Newton's second law of motion with his law of universal gravitation. The latter states that the magnitude of the gravitation after Earth upon the body is F = G M m r 2, {\displaystyle m} is the mass of the falling body, M {\displaystyle M} is the mass of the Earth, G
 {\displaystyle G} is Newton's constant, and r {\displaystyle r} is the distance from the center of the Earth to the body's location, which is very nearly the radius of the equation, leaving an acceleration that depends upon G
 \{\text{displaystyle G}\}, M \{\text{displaystyle M}\}, and r \{\text{displaystyle r}\}, and r \{\text{displaystyle r}\}.
 launched upwards and/or horizontally with nonzero velocity, then free fall becomes projectile motion. [44] When air resistance can be neglected, projectiles follow parabola-shaped trajectories, because gravity affects the body's vertical motion and not its horizontally with nonzero velocity, then free fall becomes projectile motion.
acceleration is g {\displaystyle g} downwards, as it is at all times. Setting the wrong vector equal to zero is a common confusion among physics students.[45] Main article: Circular motion, orbiting around the barycenter (center of mass of both objects) When a body is in uniform circular motion, the force on it
changes the direction of its motion but not its speed. For a body moving in a circle of radius r {\displaystyle v}, its acceleration has a magnitude a = v 2 r {\displaystyle v}, its acceleration has a magnitude a = v 2 r {\displaystyle v}, its acceleration has a magnitude a = v 2 r {\displaystyle v}, its acceleration has a magnitude a = v 2 r {\displaystyle v}, its acceleration has a magnitude a = v 2 r {\displaystyle v}, its acceleration has a magnitude a = v 2 r {\displaystyle v}, its acceleration has a magnitude a = v 2 r {\displaystyle v}, its acceleration has a magnitude a = v 2 r {\displaystyle v}, its acceleration has a magnitude a = v 2 r {\displaystyle v}, its acceleration has a magnitude a = v 2 r {\displaystyle v}, its acceleration has a magnitude a = v 2 r {\displaystyle v}, its acceleration has a magnitude a = v 2 r {\displaystyle v}, its acceleration has a magnitude a = v 2 r {\displaystyle v}, its acceleration has a magnitude a = v 2 r {\displaystyle v}, its acceleration has a magnitude a = v 2 r {\displaystyle v}, its acceleration has a magnitude a = v 2 r {\displaystyle v}, its acceleration has a magnitude a = v 2 r {\displaystyle v}, its acceleration has a magnitude a = v 2 r {\displaystyle v}, its acceleration has a magnitude a = v 2 r {\displaystyle v}, its acceleration has a magnitude a = v 2 r {\displaystyle v}, its acceleration has a magnitude a = v 2 r {\displaystyle v}, its acceleration has a magnitude a = v 2 r {\displaystyle v}, its acceleration has a magnitude a = v 2 r {\displaystyle v}, its acceleration has a magnitude a = v 2 r {\displaystyle v}, its acceleration has a magnitude a = v 2 r {\displaystyle v}, its acceleration has a magnitude a = v 2 r {\displaystyle v}, its acceleration has a magnitude a = v 2 r {\displaystyle v}, its acceleration has a magnitude a = v 2 r {\displaystyle v}, its acceleration has a magnitude a = v 2 r {\displaystyle v}, its acceleration has a magnitude a = v 2 r {\displaystyle v}, its accel
centripetal force, is therefore also directed toward the center of the circle and has magnitude m v 2 / r {\displaystyle mv^{2}/r}. Many orbits, such as that of the Moon around the Earth, can be approximated by uniform circular motion. In such cases, the centripetal force is gravity, and by Newton's law of universal gravitation has magnitude G M m
r 2 {\displaystyle GMm/r^{2}}, where M {\displaystyle M} is the mass of the larger body being orbited. Therefore, the mass of a body can be calculated from observations of another body orbiting around it.[47]: 130 Newton's cannonball is a thought experiment that interpolates between projectile motion and uniform circular motion. A cannonball
that is lobbed weakly off the edge of a tall cliff will hit the ground in the same amount of time as if it were dropped from rest, because the force of gravity only affects the cannonball's momentum in the downward direction, and its effect is not diminished by horizontal movement. If the cannonball is launched with a greater initial horizontal velocity
then it will travel farther before it hits the ground, but it will still hit the ground in the same amount of time. However, if the cannonball is launched with an even larger initial velocity, then the curvature of the Earth becomes significant: the ground itself will curve away from the falling cannonball. A very fast cannonball will fall away from the inertial
straight-line trajectory at the same rate that the Earth curves away beneath it; in other words, it will be in orbit (imagining that it is not slowed by air resistance or obstacles).[48] Main article: Harmonic oscillator An undamped spring-mass system undergoes simple harmonic motion. Consider a body of mass m {\displaystyle m} able to move along the
x \in X (displaystyle x \in X) axis, and suppose an equilibrium point exists at the position x \in X (displaystyle x \in X). That is, at x \in X (displaystyle x \in X) axis, and suppose an equilibrium point exists at the position x \in X (displaystyle x \in X).
to the equilibrium point, then the body will perform simple harmonic motion. Writing the force as F = -kx {\displaystyle F = -kx}, Newton's second law becomes m d 2 x d t 2 = -kx {\displaystyle F = -kx}, Newton's second law becomes m d 2 x d t 2 = -kx {\displaystyle F = -kx}, Newton's second law becomes m d 2 x d t 2 = -kx {\displaystyle F = -kx}, Newton's second law becomes m d 2 x d t 2 = -kx {\displaystyle F = -kx}, Newton's second law becomes m d 2 x d t 2 = -kx {\displaystyle F = -kx}, Newton's second law becomes m d 2 x d t 2 = -kx {\displaystyle F = -kx}, Newton's second law becomes m d 2 x d t 2 = -kx {\displaystyle F = -kx}, Newton's second law becomes m d 2 x d t 2 = -kx {\displaystyle F = -kx}, Newton's second law becomes m d 2 x d t 2 = -kx {\displaystyle F = -kx}, Newton's second law becomes m d 2 x d t 2 = -kx {\displaystyle F = -kx}, Newton's second law becomes m d 2 x d t 2 = -kx {\displaystyle F = -kx}, Newton's second law becomes m d 2 x d t 2 = -kx {\displaystyle F = -kx}, Newton's second law becomes m d 2 x d t 2 = -kx {\displaystyle F = -kx}, Newton's second law becomes m d 2 x d t 2 = -kx {\displaystyle F = -kx}, Newton's second law becomes m d 2 x d t 2 = -kx {\displaystyle F = -kx}, Newton's second law becomes m d 2 x d t 2 = -kx {\displaystyle F = -kx}, Newton's second law becomes m d 2 x d t 2 = -kx {\displaystyle F = -kx}, Newton's second law becomes m d 2 x d t 2 = -kx {\displaystyle F = -kx}, Newton's second law becomes m d 2 x d t 2 = -kx {\displaystyle F = -kx}, Newton's second law becomes m d 2 x d t 2 = -kx {\displaystyle F = -kx}, Newton's second law becomes m d 2 x d t 2 = -kx {\displaystyle F = -kx}, Newton's second law becomes m d 2 x d t 2 = -kx {\displaystyle F = -kx}, Newton's second law becomes m d 2 x d t 2 = -kx {\displaystyle F = -kx}, Newton's second law becomes m d 2 x d t 2 = -kx {\displaystyle F = -kx}, Newton's second law becomes m d 2 x d t 2 = -kx {\displaystyle F = -kx}, Newton's second law becomes m d 2 x
\omega \ barbox{line}{long} \ constants A \ long at line position and velocity the body has at a given time, like t = 0 {\displaystyle t=0}. One reason that the harmonic oscillator is a conceptually the body has at a given time, like t = 0 {\displaystyle t=0}.
important example is that it is good approximation for many systems near a stable mechanical equilibrium. [note 10] For example, a pendulum has a stable equilibrium in the vertical position: if motionless there, and if pushed slightly, it will swing back and forth. Neglecting air resistance and friction in the pivot, the force upon the
 pendulum is gravity, and Newton's second law becomes d 2 \theta d t 2 = - g L sin \theta, {\displaystyle {\frac {d^{2}}\theta } extract {g}{L}}\sin \theta \ is its angle from the vertical. When the angle \theta {\displaystyle \theta } is small, the sine of \theta {\displaystyle \theta } extract {\displaystyle \theta } extract {\gamma} \text{\displaystyle} \theta \ angle from the vertical. When the angle \theta {\displaystyle \theta \ angle from the vertical. When the angle \theta {\displaystyle \theta \ angle from the vertical. When the angle \theta {\displaystyle \theta \ angle from the vertical. When the angle \theta {\displaystyle \theta \ angle from the vertical. When the angle \theta {\displaystyle \theta \ angle from the vertical. When the angle \theta {\displaystyle \theta \ angle from the vertical. When the angle \theta {\displaystyle \theta \ angle from the vertical. When the angle \theta {\displaystyle \theta \ angle from the vertical. When the angle \theta {\displaystyle \theta \ angle from the vertical. When the angle \theta {\displaystyle \theta \ angle from the vertical. When the angle \theta {\displaystyle \theta \ angle from the vertical. When the angle \theta {\displaystyle \theta \ angle from the vertical. When the angle \theta {\displaystyle \theta \ angle from the vertical. When the angle \theta {\displaystyle \theta \ angle from the vertical. When the angle \theta {\displaystyle \theta \ angle from the vertical \ angle from the ver
\theta \rightarrow is nearly equal to \theta \rightarrow \(\displaystyle \theta \rightarrow (see small-angle approximation), and so this expression simplifies to the equation for a simple harmonic oscillator can be damped, often by friction or viscous drag, in which case energy bleeds out of the oscillator \(\text{theta}\) \rightarrow \(\text{theta}\) \rightarr
and the amplitude of the oscillations decreases over time. Also, a harmonic oscillator can be driven by an applied force, which can lead to the phenomenon of resonance. [50] Main article: Variable-mass system Rockets, like the Space Shuttle Atlantis, expel mass during operation. This means that the mass being pushed, the rocket and its remaining
onboard fuel supply, is constantly changing. Newtonian physics treats matter as being neither created nor destroyed, though it may be rearranged. It can be the case that an object of interest gains or loses mass because matter is added to or removed from it. In such a situation, Newton's laws can be applied to the individual pieces of matter, keeping
track of which pieces belong to the object of interest over time. For instance, if a rocket of mass M (t) {\displaystyle \mathbf {v} } relative to the rocket, then [24] F = M d v d t - u d M d t {\displaystyle \mathbf {F} = M {\frac {d\mathbf {v} } } }
{dt}}-\mathbf {u} {\frac {dM}{dt}}\,} where F {\displaystyle \mathbf {F}} is the net external force (e.g., a planet's gravitation studied in discussions of Newton's third law.[51] In the situation, a fan is attached to a cart or a sailboat and blows on its sail.
From the third law, one would reason that the force of the air pushing in one direction would cancel out the force done by the fan on the sail, leaving the entire apparatus stationary. However, because the system is not entirely enclosed, there are conditions in which the vessel will move; for example, if the sail is built in a manner that redirects the
majority of the airflow back towards the fan, the net force will result in the vessel moving forward. [34][52] The concept of energy was developed after Newtonian" physics. Energy can broadly be classified into kinetic, due to a body's motion, and potential, due to a body's
position relative to others. Thermal energy, the energy carried by heat flow, is a type of kinetic energy not associated with the movements of the atoms and molecules of which they are made. According to the work-energy theorem, when a force acts upon a body while that body moves along the line
of the force, the force does work upon the body, and the amount of work done is equal to the change in the body's kinetic energy. [note 11] In many cases of interest, the net work done by a force when a body moves in a closed loop — starting at a point, moving along some trajectory, and returning to the initial point — is zero. If this is the case, then
the force can be written in terms of the gradient of a function called a scalar potential:[46]:303 F = - \text{V} U. {\displaystyle \mathbf {F} =-\mathbf {abla } U\,..} This is true for many forces including that of gravity, but not for friction; indeed, almost any problem in a mechanics textbook that does not involve friction can be expressed in this way.[49]:19
The fact that the force can be written in this way can be understood from the conservation of energy. Without friction to dissipate a body's energy into heat, the body's energy will trade between potential and (non-thermal) kinetic forms while the total amount remains constant. Any gain of kinetic energy, which occurs when the net force on the body
accelerates it to a higher speed, must be accompanied by a loss of potential energy. So, the net force upon the body is determined by the manner in which the potential energy decreases. Main article: Rigid-body motion A rigid body is an object whose size is too large to neglect and which maintains the same shape over time. In Newtonian mechanics,
the motion of a rigid body is often understood by separating it into movement of the body's center of mass. Main article: Center of mass and movement around the center of mass of the forks, cork, and toothpick is on top of the pen's tip. Significant aspects of the motion of an extended body can be understood by imagining the
mass of that body concentrated to a single point, known as the center of mass. The location of a body's center of mass depends upon how that body's material is distributed. For a collection of pointlike objects with masses m 1, ..., m N {\displaystyle m_{1},\ldots, m_{N}} at positions r 1, ..., r N {\displaystyle mathbf {r} _{1},\ldots, mathbf {r}
 collision between two bodies.[55] If the total external force is not zero, then the center of mass changes velocity as though it were a point body of mass M {\displaystyle M}. This follows from the fact that the internal forces within the collection, the forces that the objects exert upon each other, occur in balanced pairs by Newton's third law. In a
system of two bodies with one much more massive than the other, the center of mass will approximately coincide with the location of the more massive body.[19]:22-24 When Newton's laws are applied to rotating extended bodies, they lead to new quantities that are analogous to those invoked in the original laws. The analogue of mass is the moment
of inertia, the counterpart of momentum is angular momentum is calculated with respect to a reference point. [56] If the displaystyle \mathbf {r} } and the body is r {\displaystyle \mathbf {r} } and the body is r {\displaystyle \mathbf {r} } and the body is r {\displaystyle \mathbf {r} } and the body is r {\displaystyle \mathbf {r} } and the body is r {\displaystyle \mathbf {r} } and the body is r {\displaystyle \mathbf {r} } and the body is r {\displaystyle \mathbf {r} } and the body is r {\displaystyle \mathbf {r} } and the body is r {\displaystyle \mathbf {r} } and the body is r {\displaystyle \mathbf {r} } and the body is r {\displaystyle \mathbf {r} } and the body is r {\displaystyle \mathbf {r} } and the body is r {\displaystyle \mathbf {r} } and the body is r {\displaystyle \mathbf {r} } and the body is r {\displaystyle \mathbf {r} } and the body is r {\displaystyle \mathbf {r} } and the body is r {\displaystyle \mathbf {r} } and the body is r {\displaystyle \mathbf {r} } and the body is r {\displaystyle \mathbf {r} } and the body is r {\displaystyle \mathbf {r} } and the body is r {\displaystyle \mathbf {r} } and the body is r {\displaystyle \mathbf {r} } and the body is r {\displaystyle \mathbf {r} } and the body is r {\displaystyle \mathbf {r} } and the body is r {\displaystyle \mathbf {r} } and the body is r {\displaystyle \mathbf {r} } and the body is r {\displaystyle \mathbf {r} } and the body is r {\displaystyle \mathbf {r} } and the body is r {\displaystyle \mathbf {r} } and the body is r {\displaystyle \mathbf {r} } and the body is r {\displaystyle \mathbf {r} } and the body is r {\displaystyle \mathbf {r} } and the body is r {\displaystyle \mathbf {r} } and the body is r {\displaystyle \mathbf {r} } and the body is r {\displaystyle \mathbf {r} } and the body is r {\displaystyle \mathbf {r} } and the body is r {\displaystyle \mathbf {r} } and the body is r {\displaystyle \mathbf {r} } and the body is r {\displaystyle \mathbf {r} } and the body is r {\displaystyle \mathbf {r} } and the body is r 
momentum with respect to that point is, using the vector cross product, L = r \times p. {\displaystyle \mathbf {L}} =\mathbf {r} \times \mathbf {L}} =\\mathbf {r} \times \mathbf {L}} =\\mathbf {r} \times \mathbf {r}} \\\mathbf {r} \times \mathbf {r}} \\\mathbf {r}} \\mathbf {r}} \mathbf {r}} \\mathbf {r
\mathbf \{p\} +\mathbf \{r\} \times \\frac \{d\} =\mathbf \{v\} \times \mathbf \{v\} \times 
\{r\} \times \mathbf \{F\} .} When the torque is zero, the angular momentum is constant, just as when the force is zero, the momentum is constant. \{r\} and the
displacement vector r {\displaystyle \mathbf {r}} are directed along the same line. The angular momentum of a collection of point masses, and thus of an extended body, is found by adding up the angular momenta of its
individual pieces. The result depends on the chosen axis, the shape of the body, and the rate of rotation.[19]:28 Main articles: Two-body problem and Three-body problem and three-body problem and three-body problem and three-body problem.
them. The size of the attracting force is proportional to the product of their masses, and inversely proportional to the square force law will produce is known as the Kepler problem. The Kepler problem can be solved in multiple ways, including by demonstrating that
the Laplace-Runge-Lenz vector is constant, [57] or by applying a duality transformation to a 2-dimensional harmonic oscillator. [58] However it is solved, the result is that orbits will be conic sections, that is, ellipses (including circles), parabolas, or hyperbolas. The eccentricity of the orbit, and thus the type of conic section, is determined by the energy
and the angular momentum of the orbiting body. Planets do not have sufficient energy to escape the Sun, and so their orbits are ellipses, to a good approximation; because the planets pull on one another, actual orbits are ellipses, to a good approximation; because the planets pull on one another, actual orbits are ellipses, to a good approximation; because the planets pull on one another, actual orbits are ellipses, to a good approximation; because the planets pull on one another, actual orbits are ellipses, to a good approximation; because the planets pull on one another, actual orbits are ellipses, to a good approximation; because the planets pull on one another, actual orbits are ellipses, to a good approximation; because the planets pull on one another, actual orbits are ellipses, to a good approximation; because the planets pull on one another, actual orbits are ellipses, to a good approximation; because the planets pull on one another, actual orbits are ellipses, to a good approximation; because the planets pull on one another, actual orbits are ellipses, to a good approximation; because the planets pull on one another, actual orbits are ellipses, to a good approximation; because the planets pull on one another, actual orbits are ellipses, and actual o
exact solution in closed form. That is, there is no way to start from the differential equations that express the three bodies' motions over time. [59][60] Numerical methods can be applied to obtain useful, albeit approximate, results for the
three-body problem. [61] The positions and velocities of the bodies can be stored in variables within a computer's memory; Newton's laws are used to calculate how the velocities will change over a short interval of time, and knowing the velocities, the changes of position over that time interval can be computed. This process is looped to calculate,
approximately, the bodies' trajectories. Generally speaking, the shorter the time interval, the more accurate the approximation. [62] Main article: Chaos theory Three double pendulums, initialized with almost exactly the same initial conditions, diverge over time. Newton's laws of motion allow the possibility of chaos. [63] [64] That is, qualitatively
speaking, physical systems obeying Newton's laws can exhibit sensitive dependence upon their initial conditions: a slight change of the position or velocity of one part of a system can lead to the whole system behaving in a radically different way within a short time. Noteworthy examples include the three-body problem, the double pendulum,
dynamical billiards, and the Fermi-Pasta-Ulam-Tsingou problem. Newton's laws can be applied to fluid sy considering a fluid as composed of infinitesimal pieces, each exerting forces upon neighboring pieces. The Euler momentum equation is an expression of Newton's second law adapted to fluid dynamics. [65][66] A fluid is described by a velocity
field, i.e., a function v (x, t) {\displaystyle \mathbf {v} (\mathbf {v} (\mathbf {x},t)} that assigns a velocity vector to each point in space and time. A small object being carried along by the fluid flow can change velocity for two reasons: first, because the velocity field at its position is changing over time, and second, because it moves to a new location where the
velocity field has a different value. Consequently, when Newton's second law is applied to an infinitesimal portion of fluid, the acceleration a {\displaystyle \mathbf {a} } has two terms, a combination known as a total or material derivative. The mass of an infinitesimal portion depends upon the fluid density, and there is a net force upon it if the fluid
pressure varies from one side of it to another. Accordingly, a = F / m \{ displaystyle \mathbf \{p\} \} \ where \rho \{ b \} \ becomes \partial v \partial t + (\nabla v) v = -1 \rho \nabla P + f \} \
density, P {\displaystyle P} is the pressure, and f {\displaystyle \mathbf {f} } stands for an external influence like a gravitational pull. Incorporating the effect of viscosity turns the Euler equation into a Navier-Stokes equation: \partial v \partial t + (\nabla v) v = -1 \rho \nabla P + \nu \nabla 2 v + f, {\displaystyle \frac {\partial v} {
{v} )\mathbf {v} =-{\frac {1}{\rho }}\mathbf {v} +\mathbf {v} +\mathbf {f} ,} where ν {\displaystyle u } is the kinematic viscosity.[65] It is mathematically possible for a collection of point masses, moving in accord with Newton's laws, to launch some of themselves away so forcefully that they fly off to infinity in a finite time.[67]
This unphysical behavior, known as a "noncollision singularity",[60] depends upon the masses being pointlike and able to approach one another arbitrarily closely, as well as the lack of a relativistic speed limit in Newtonian physics.[68] It is not yet known whether or not the Euler and Navier-Stokes equations exhibit the analogous behavior of initially
smooth solutions "blowing up" in finite time. The question of existence and smoothness of Navier-Stokes solutions is one of the Millennium Prize Problems. [69] Classical mechanics can be mathematically formulated in multiple different ways, other than the "Newtonian" description (which itself, of course, incorporates contributions from others both
before and after Newton). The physical content of these different insights and facilitate different insights and facilitate different types of calculations. For example, Lagrangian mechanics helps make apparent the connection between symmetries and conservation laws, and it is useful when calculating the motion
of constrained bodies, like a mass restricted to move along a curving track or on the surface of a sphere. [19]: 284 Due to the breadth of these
topics, the discussion here will be confined to concise treatments of how they reformulate Newtonian formulation by considering a body's motion at a single instant.[19]:109 It is traditional in Lagrangian mechanics to denote position
{1}{2}}m{\dot {q}}^{2}} and the potential energy is some function of the position, V ( q ) {\displaystyle V(q)}. The physical path that the particle will take between an initial point q i {\displaystyle q {i}} and a final point q i {\displaystyle q {i}} and the potential energy is some function of the Lagrangian is "stationary". That is, the physical path has the
property that small perturbations of it will, to a first approximation, not change the integral of the Lagrangian. Calculus of variations to the task of finding the path yields the Euler-Lagrange equation for the particle, d d t (\partial L \partial q ') = \partial L \partial q .
 (d)_{dt}(frac_{d}_{t})=(frac_{d}_{t})_{t} (frac_{dt})_{t} (f
derivative of the momentum, and the right-hand side is the force, represented in terms of the potential energy.[9]: 737 Landau and Lifshitz argue that the Lagrangian mechanics provides a convenient framework in which to
prove Noether's theorem, which relates symmetries and conservation laws.[72] The conservation of momentum can be derived by applying Noether stheorem to a Lagrangian for a multi-particle system, and so, Newton's third law is a theorem to a Lagrangian for a multi-particle system, and so, Newton's third law is a theorem to a Lagrangian for a multi-particle system, and so, Newton's third law is a theorem to a Lagrangian for a multi-particle system, and so, Newton's third law is a theorem to a Lagrangian for a multi-particle system, and so, Newton's third law is a theorem to a Lagrangian for a multi-particle system, and so, Newton's third law is a theorem to a Lagrangian for a multi-particle system, and so, Newton's third law is a theorem to a Lagrangian for a multi-particle system, and so, Newton's third law is a theorem to a Lagrangian for a multi-particle system, and so, Newton's third law is a theorem to a Lagrangian for a multi-particle system, and so, Newton's third law is a theorem to a Lagrangian for a multi-particle system, and so, Newton's third law is a theorem to a Lagrangian for a multi-particle system, and so, Newton's third law is a theorem to a Lagrangian for a multi-particle system, and so, Newton's third law is a theorem to a Lagrangian for a multi-particle system.
symmetries and conservation laws was a key development in modern physics and can be conveniently stated in the language of Lagrangian or Hamiltonian mechanics In Hamiltonian mechanics and can be conveniently stated in the language of Lagrangian or Hamiltonian mechanics and can be conveniently stated in the language of Lagrangian or Hamiltonian mechanics and can be conveniently stated in the language of Lagrangian or Hamiltonian mechanics.
742 The Hamiltonian is a function of the positions and the momenta of all the bodies making up the system, and it may also depend explicitly upon time. The time derivatives of the positions and the momentum variables are given by partial derivatives of the Hamiltonian, via Hamiltonian, via Hamiltonian and momentum variables are given by partial derivatives of the Hamiltonian and momentum variables are given by partial derivatives of the Hamiltonian and momentum variables are given by partial derivatives of the Hamiltonian and momentum variables are given by partial derivatives of the Hamiltonian and momentum variables are given by partial derivatives of the Hamiltonian and momentum variables are given by partial derivatives of the Hamiltonian and momentum variables are given by partial derivatives of the Hamiltonian and momentum variables are given by partial derivatives of the Hamiltonian and momentum variables are given by partial derivatives of the Hamiltonian and momentum variables are given by partial derivatives of the Hamiltonian and momentum variables are given by partial derivatives of the Hamiltonian and momentum variables are given by partial derivatives of the Hamiltonian and momentum variables are given by partial derivatives of the Hamiltonian and momentum variables are given by partial derivatives of the Hamiltonian and momentum variables are given by partial derivatives of the Hamiltonian and momentum variables are given by partial derivatives of the Hamiltonian and momentum variables are given by partial derivatives of the Hamiltonian and momentum variables are given by partial derivatives of the Hamiltonian and momentum variables are given by partial derivatives of the Hamiltonian and momentum variables are given by partial derivatives of the Hamiltonian and momentum variables are given by partial derivatives are given by partial d
 \{\text{displaystyle m}\}\  constrained to move in a straight line, under the effect of a potential. Writing q \{\text{displaystyle q}\}\  for the position coordinate and p \{\text{displaystyle q}\}\  for the body's momentum, the Hamiltonian is H (p,q) = \{\text{montion} \  In this example, Hamilton's equations are
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 $d\ q\ d\ t = \partial\ H\ \partial\ p\ \{\dt\} = \{\frac\ \{dp\}\{dt\}\} = \{\frac\ \{dp$

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reproduces the familiar statement that a body's momentum is the product of its mass and velocity. The time derivative of the momentum is d p d t = - d V d q , {\displaystyle {\frac {dV}{dq}},} which, upon identifying the negative derivative of the potential with the force, is just Newton's second law once again.[63][9]:742 As in
the Lagrangian formulation, in Hamiltonian mechanics the conservation of momentum can be derived using Noether's theorem, making Newton's third law an idea that is deduced rather than assumed.[19]:251 Among the proposals to reform the standard introductory-physics curriculum is one that teaches the concept of energy before that of force,
essentially "introductory Hamiltonian mechanics".[73][74] The Hamilton-Jacobi equation provides yet another formulation described above. The paths taken by
bodies or collections of bodies are deduced from a function S (q 1, q 2, ..., t) {\displaystyle S} . The Hamiltonian is incorporated into the Hamilton-Jacobi equation, a differential equation for S {\displaystyle S} . Bodies move
over time in such a way that their trajectories are perpendicular to the surfaces of constant S {\displaystyle S}, analogously to how a light ray propagates in the direction perpendicular to its wavefront. This is simplest to express for the case of a single point mass, in which S {\displaystyle S} is a function S (q, t) {\displaystyle S(\mathbf {q}, t)},
and the point mass moves in the direction along which S = m \nabla S. (displaystyle S) represents the gradient of S = m \nabla S. (displaystyle S) represents the direction along which S = m \nabla S. (displaystyle S) represents the gradient of S = m \nabla S. (displaystyle S) represents the gradient of S = m \nabla S.
 \{\displaystyle - \{\frac {\partial S} \{\partial S\} \{\partial t\} = H(\mathbf \{q\})\}, in which case the Hamilton-Jacobi equation becomes - \partial S \partial t = 1 \ 2 \ m \ (\nabla S) 2 + V \ (q). \{\displaystyle \ V(\mathbf \{q\})\}, in which case the Hamilton-Jacobi equation becomes - \partial S \partial t = 1 \ 2 \ m \ (\nabla S) 2 + V \ (q).
 Interchanging the order of the partial derivatives on the left-hand side, -\partial \partial t \nabla S = 1 \text{ m} (\nabla S \cdot \nabla) \nabla S + \nabla V. {\displaystyle -{\frac {\partial } {\partial } } \Delta B \Delta
 The expression in brackets is a total or material derivative as mentioned above, [77] in which the first term indicates how the function being different values of that function as it travels from place to place: [\partial \partial t + 1 \text{ m} (\nabla S \cdot \nabla)] = [\partial \partial t
 + v \cdot \nabla = d \cdot t \cdot {displaystyle \left(\frac{t}{frac {\phi t . {displaystyle \left(\frac{t}{frac {\phi t . {displaystyle (in yellow) surrounded by a gas of smaller particles,}}}} \right)}
 illustrating Brownian motion In statistical physics, the kinetic theory of gases applies Newton's laws of motion to large numbers (typically on the container holding it as the aggregate of many impacts of atoms, each imparting a
tiny amount of momentum.[71]:62 The Langevin equation is a special case of Newton's second law, adapted for the case of describing a small object bombarded stochastically by even smaller ones.[78]:235 It can be written m a = -\gamma v + \xi {\displaystyle m\mathbf {\arta} = -\gamma \mathbf {\arta} + \mathbf {\xi } \,} where \gamma \left\{ \displaystyle \gamma \mathbf \left\{ \array} = \quad \text{\pi} \\ \right\{ 
drag coefficient and ξ {\displaystyle \mathbf {\xi } } is a force that varies randomly from instant to instant, representing the net effect of collisions with the surrounding particles. This is used to model Brownian motion.[79] Newton's three laws can be applied to phenomena involving electricity and magnetism, though subtleties and caveats exist.
 Coulomb's law for the electric force between two stationary, electrically charged bodies has much the same mathematical form as Newton's law of universal gravitation: the force is proportional to the product of the charges, inversely proportional to the square of the distance between them, and directed along the straight line between them. The
Coulomb force that a charge q 1 {\displaystyle q {2}} exerts upon q 1 
produced by fields acting upon charges. The Lorentz force law provides an expression for the force upon a charged body in an electric field experiences a force in the direction of that field, a force proportional
 to its charge q {\displaystyle q} and to the strength of the electric field. In addition, a moving charged body in a magnetic field experiences a force that is also proportional to its charge, in a direction perpendicular to both the field and the body's direction of motion. Using the vector cross product, F = q E + q v \times B. {\displaystyle \mathbf {F}}
 =q\mathbf \{E\} + q\mathbf \{v\} \times \mathbf \{B\} .} The Lorentz force law in effect: electrons are bent into a circular trajectory by a magnetic field. If the electric field vanishes \{E\} = 0\} ), then the force will be perpendicular to the charge's motion, just as in the case of uniform circular motion studied above, and the
 charge will circle (or more generally move in a helix) around the magnetic field lines at the cyclotron frequency ω = q B / m {\displaystyle \omega = qB/m} .[78]: 222 Mass spectrometry works by applying electric and/or magnetic fields to moving charges and measuring the resulting acceleration, which by the Lorentz force law yields the mass-to-
charge ratio.[82] Collections of charged bodies do not always obey Newton's third law: there can be a change of one body's momentum without a compensatory change in the momentum per unit volume of the electromagnetic field is
proportional to the Poynting vector.[83]:184[84] There is subtle conceptual conflict between electromagnetism and Newton's first law: Maxwell's theory of electromagnetism predicts that electromagnetism predicts that electromagnetism and Newton's first law: Maxwell's theory of electromagnetism and Newton's first law: Maxwell's theory of electromagnetism predicts that electromagnetism predicts that electromagnetism and Newton's first law: Maxwell's theory of electromagnetism predicts that elec
others, namely those who measure the speed of light and find it to be the value predicted by the Maxwell equations. In other words, light provides an absolute standard for speed, yet the principle of inertia holds that there should be no such standard for speed in the theory of special relativity, which revises the notions of space and time
in such a way that all inertial observers will agree upon the speed of light in vacuum. [note 12] Further information: Relativity, the rule that Wilczek called "Newton's Zeroth Law" breaks down: the mass of a composite object is not merely the sum of the masses of the individual
 pieces [87]: 33 Newton's first law, inertial motion, remains true. A form of Newton's second law, that force is the rate of change of momentum, also holds, as does the consequences of this is the fact that the more quickly a body moves, the harder it is to
 accelerate, and so, no matter how much force is applied, a body cannot be accelerated to the speed of light. Depending on the problem at hand, momentum in special relativity can be represented as a three-dimensional vector, p = m y v  {\displaystyle \mathbf {v} }, where m {\displaystyle m} is the body's rest mass and y
 {\displaystyle \gamma } is the Lorentz factor, which depends upon the body's speed. Alternatively, momentum and force can be represented as four-vectors.[88]:107 Newton's third law must be modified in special relativity is that
 simultaneity is relative. Events that happen at the same time relative to one observer can happen at different times relative to another. So, in a given observer is frame of reference, action and reaction may not be exactly opposite, and the total momentum of interacting bodies may not be conserved. The conservation of momentum is restored by
 including the momentum stored in the field that describes the bodies' interaction.[89][90] Newtonian mechanics is a good approximation to special relativity when the speeds involved are small compared to that of Newton. In general relativity, the gravitational force of
 Newtonian mechanics is reimagined as curvature of spacetime. A curved path like an orbit, attributed to a gravitational force in Newtonian mechanics, is not the result of a force deflecting a body from an ideal straight-line path, but rather the body's attempt to fall freely through a background that is itself curved by the presence of other masses. A
remark by John Archibald Wheeler that has become proverbial among physicists summarizes the theory: "Spacetime how to curve."[92][93] Wheeler himself thought of this reciprocal relationship as a modern, generalized form of Newton's third law.[92] The relation between matter distribution and
 spacetime curvature is given by the Einstein field equations, which require tensor calculus to express.[87]:43[94] The Newtonian theory of gravity is a good approximation to the predictions of general relativity when gravitational effects are weak and objects are moving slowly compared to the speed of light.[85]:327[95] Quantum mechanics is a
theory of physics originally developed in order to understand microscopic phenomena: behavior at the scale of molecules, atoms or subatomic particles. Generally and loosely speaking, the smaller a system is, the more an adequate mathematical model will require understanding quantum effects. The conceptual underpinning of quantum physics is
very different from that of classical physics. Instead of thinking about quantities like position, momentum, and energy as properties that an object has, one considers what result might appear when a measurement will elicit a
particular result.[96][97] The expectation value for a measurement is the average of the possible results it might yield, weighted by their probabilities of occurrence.[98] The Ehrenfest theorem provides a connection between quantum physics is
 fundamentally different from classical. In quantum physics, position and momentum are represented by mathematical entities known as Hermitian operators, and the Born rule is used to calculate the expectation values of a position measurement or a momentum measurement. These expectation values will generally change over time; that is,
depending on the time at which (for example) a position measurement is performed, the probabilities for its different possible outcomes will vary. The Ehrenfest theorem says, roughly speaking, that the equations describing how these expectation values change over time have a form reminiscent of Newton's second law. However, the more
 pronounced quantum effects are in a given situation, the more difficult it is to derive meaningful conclusions from this resemblance. [note 13] Isaac Newton (1643-1727), in a 1689 portrait by Godfrey Kneller Newton's own copy of his Principia, with hand-written corrections for the second edition, in the Wren Library at Trinity College, Cambridge
 Newton's first and second laws, in Latin, from the original 1687 Principia Mathematica The concepts invoked in Newton's laws of motion — mass, velocity, momentum, force — have predecessors in earlier work, and the content of Newtonian physics was further developed after Newton's time. Newton combined knowledge of celestial motions with the
 study of events on Earth and showed that one theory of mechanics could encompass both. [note 14] As noted by scholar I. Bernard Cohen, Newton's work was more than a mere synthesis of previous results, as he selected certain ideas and further transformed them, with each in a new form that was useful to him, while at the same time proving false
there, comparing it to the real world to show that his system accurately accounted for it.[104] Aristotle (384-322 BCE) The subject of physics is often traced back to Aristotle, but the history of the concepts involved is obscured by multiple factors. An exact correspondence between Aristotle (384-322 BCE) The subject of physics is often traced back to Aristotle (384-322 BCE) The subject of physics is often traced back to Aristotle (384-322 BCE) The subject of physics is often traced back to Aristotle (384-322 BCE) The subject of physics is often traced back to Aristotle (384-322 BCE) The subject of physics is often traced back to Aristotle (384-322 BCE) The subject of physics is often traced back to Aristotle (384-322 BCE) The subject of physics is often traced back to Aristotle (384-322 BCE) The subject of physics is often traced back to Aristotle (384-322 BCE) The subject of physics is often traced back to Aristotle (384-322 BCE) The subject of physics is often traced back to Aristotle (384-322 BCE) The subject of physics is often traced back to Aristotle (384-322 BCE) The subject of physics is often traced back to Aristotle (384-322 BCE) The subject of physics is often traced back to Aristotle (384-322 BCE) The subject of physics is often traced back to Aristotle (384-322 BCE) The subject of physics is often traced back to Aristotle (384-322 BCE) The subject of physics is often traced back to Aristotle (384-322 BCE) The subject of physics is often traced back to Aristotle (384-322 BCE) The subject of physics is often traced back to Aristotle (384-322 BCE) The subject of physics is often traced back to Aristotle (384-322 BCE) The subject of physics is often traced back to Aristotle (384-322 BCE) The subject of physics is often traced back to Aristotle (384-322 BCE) The subject of physics is often traced back to Aristotle (384-322 BCE) The subject of physics is often traced back to Aristotle (384-322 BCE) The subject of the subject of physics is often traced back to Aristotle (384-322 BCE) The subject of the 
did not clearly distinguish what we would call speed and force, used the same term for density and viscosity, and conceived of motion as always through a medium, rather than through space. In addition, some concepts often termed "Aristotelian" might better be attributed to his followers and commentators upon him, [105] These commentators found
that Aristotelian physics had difficulty explaining projectile motion into two types: "natural" motion of terrestrial solid matter was to fall downwards, whereas a "violent" motion could push a body sideways. Moreover, in Aristotelian physics, a "violent" motion requires an immediate cause
separated from the cause of its "violent" motion, a body would revert to its "natural" behavior. Yet, a javelin continues moving after it leaves the thrower's hand. Aristotle concluded that the air around the javelin must be imparted with the ability to move the javelin forward. John Philoponus, a Byzantine Greek thinker active during the sixth century,
 found this absurd: the same medium, air, was somehow responsible both for sustaining motion and for impeding it. If Aristotle's idea were true, Philoponus argued that setting a body into motion imparted a quality, impetus, that would be contained within the body
itself. As long as its impetus was sustained, the body would continue to move.[107]:47 In the following centuries, versions of impetus theory were advanced by individuals including Nur ad-Din al-Bitruji, Avicenna, Abu'l-Barakāt al-Baghdādī, John Buridan, and Albert of Saxony. In retrospect, the idea of impetus can be seen as a forerunner of the
modern concept of momentum. [note 16] The intuition that objects move according to some kind of impetus persists in many students of introduced the concept of inertia by way of his "laws of nature" in The World (Traité du monde et de la lumière)
 written 1629-33. However, The World purported a heliocentric worldview, and in 1633 this view had given rise a great conflict between Galilei and the Roman Catholic Inquisition. Descartes knew about this controversy and did not wish to get involved. The World was not published until 1664, ten years after his death.[110] Galileo Galilei
(1564-1642) The modern concept of inertia is credited to Galileo. Based on his experiments, Galileo concluded that the "natural" behavior of a moving body was to keep moving, until something else interfered with it. In Two New Sciences (1638) Galileo wrote:[111][112]Imagine any particle projected along a horizontal plane without friction; then we
 know, from what has been more fully explained in the preceding pages, that this particle will move along this same plane with a motion which is uniform and perpetual, provided the plane has no limits. René Descartes (1596-1650) Galileo recognized that in projectile motion, the Earth's gravity affects vertical but not horizontal motion. [113] However,
Galileo's idea of inertia was not exactly the one that would be codified into Newton's first law. Galileo thought that a body moving a long distance inertially would follow the curve of the Earth. This idea was corrected by Isaac Beeckman, Descartes, and Pierre Gassendi, who recognized that inertial motion should be motion in a straight line.[114]
 Descartes published his laws of nature (laws of motion) with this correction in Principles of Philosophy (Principles of Ph
goes on moving until something stops it. Second Law of Nature: Each moving thing if left to itself moves in a straight line; so any body moving in a circle always tends to move away from the centre of the circle. According to American philosopher Richard J. Blackwell, Dutch scientist Christiaan Huygens had worked out his own, concise version of the
law in 1656.[116] It was not published until 1703, eight years after his death, in the opening paragraph of De Motu Corporum ex Percussione. Hypothesis I: Any body already in motion will continue to move perpetually with the same speed and in a straight line unless it is impeded. According to Huygens, this law was already known by Galileo and
Descartes among others.[116] Christiaan Huygens (1629-1695) Christiaan Huygens, in his Horologium Oscillatorium (1673), put forth the hypothesis that "By the action of gravity, whatever its sources, it happens that bodies are moved by a motion composed both of a uniform motion in one direction or another and of a motion downward due to
gravity." Newton's second law generalized this hypothesis from gravity to all forces. [117] One important characteristic of Newtonian physics is that forces can act at a distance without requiring physical contact. [note 17] For example, the Sun and the Earth pull on each other gravitationally, despite being separated by millions of kilometres.
 contrasts with the idea, championed by Descartes among others, that the Sun's gravity held planets in orbit by swirling them in a vortex of transparent matter, aether.[122] The study of magnetism by William Gilbert and others created a precedent for thinking of
 immaterial forces,[122] and unable to find a quantitatively satisfactory explanation of his law of gravity in terms of an aetherial model, Newton eventually declared, "I feign no hypotheses": whether or not a model like Descartes's vortices could be found to underlie the Principia's theories of motion and gravity, the first grounds for judging them must
be the successful predictions they made.[125] And indeed, since Newton's time every attempt at such a model has failed. Johannes Kepler (1571-1630) Johannes Kepler suggested that gravitational attractions were reciprocal — that, for example, the Moon pulls on the Earth while the Earth pulls on the Moon — but he did not argue that such pairs are
 equal and opposite.[126] In his Principles of Philosophy (1644), Descartes introduced the idea that during a collision between bodies, a "quantity of motion" remains unchanged. Descartes defined this quantity somewhat imprecisely by adding up the products of the speed and "size" of each body, where "size" for him incorporated both volume and
surface area.[127] Moreover, Descartes thought of the universe as a plenum, that is, filled with matter, so all motion required a body to displace a medium as it moved. During the 1650s, Huygens studied collisions between hard spheres and deduced a principle that is now identified as the conservation of momentum.[128][129] Christopher Wren
 would later deduce the same rules for elastic collisions that Huygens had, and John Wallis would apply momentum conservation to study inelastic collisions. Newton arrived at his set of three laws incrementally. In a 1684 manuscript written to Huygens,
he listed four laws: the principle of inertia, the change of motion by force, a statement about relative motion of their center of mass. In a later manuscript, Newton added a law of action and reaction, while saying that this law and the rule that interactions between bodies do not change the motion of their center of mass. In a later manuscript, Newton added a law of action and reaction, while saying that this law and the rule that interactions between bodies do not change the motion of their center of mass. In a later manuscript, Newton added a law of action and reaction, while saying that this law and the rule that interactions between bodies do not change the motion of their center of mass.
law regarding the center of mass implied one another. Newton probably settled on the presentation in the Principia, with three primary laws and then other statements reduced to corollaries, during 1685.[131] Page 157 from Mechanism of the Heavens (1831), Mary Somerville's expanded version of the first two volumes of Laplace's Traité de
 mécanique céleste.[132] Here, Somerville deduces the inverse-square law of gravity from Kepler's laws of planetary motion. Newton expressed his second law by saying that the force on a body is proportional to its change of motion, or momentum. By the time he wrote the Principia, he had already developed calculus (which he called "the science of
fluxions"), but in the Principia he made no explicit use of it, perhaps because he believed geometrical arguments in the tradition of Euclid to be more rigorous. [133]:15[134] Consequently, the Principia does not express acceleration as the second derivative of position, and so it does not give the second law as F = m a {\displaystyle F = ma}. This form
of the second law was written (for the special case of constant force) at least as early as 1716, by Jakob Hermann; Leonhard Euler would employ it as a basic premise in the 1740s.[137] Pierre-Simon Laplace's five-volume Traité de mécanique céleste
(1798-1825) forsook geometry and developed mechanics purely through algebraic expressions, while resolving questions that the Principia had left open, like a full theory of the tides.[138] The concept of energy became a key part of Newtonian mechanics in the post-Newton period. Huygens' solution of the collision of hard spheres showed that in
that case, not only is momentum conserved, but kinetic energy is as well (or, rather, a quantity that in retrospect we can identify as one-half the total kinetic energy). The question of what is conserved during all other processes, like inelastic collisions and motion slowed by friction, was not resolved until the 19th century. Debates on this topic
overlapped with philosophical disputes between the metaphysical views of Newton and Leibniz, and variants of the term "force" were sometimes used to denote what we would call types of energy. For example, in 1742, Émilie du Châtelet wrote, "Dead force consists of a simple tendency to motion: such is that of a spring ready to relax; living force is
 that which a body has when it is in actual motion." In modern terminology, "dead force" and "living force" correspond to potential energy and kinetic energy of mechanical work can be dissipated into heat.[140][141] With the
concept of energy given a solid grounding, Newton's laws could then be derived within formulations of Newton's laws use the mathematics of vectors, a topic that was not developed until the late 19th and early 20th
centuries. Vector algebra, pioneered by Josiah Willard Gibbs and Oliver Heaviside, stemmed from and largely supplanted the earlier system of quaternions invented by William Rowan Hamilton.[142][143] Euler's laws of motion History of classical mechanics List of eponymous laws List of equations in classical mechanics List of scientific laws named
after people List of textbooks on classical mechanics Norton's dome ^ See, for example, Zain.[4]:1-2 David Tong observes, "A particle is defined to be an object of insignificant size: e.g. an electron, a tennis ball or a planet. Obviously the validity of this statement depends on the context..."[5] ^ Negative acceleration includes
both slowing down (when the current velocity is positive) and speeding up (when the current velocity is negative). For this and other points that students have often found difficult, see McDermott et al.[8] ^ Per Cohen and Whitman.[2] For other phrasings, see Eddington[14] and Frautschi et al.[15]:114 Andrew Motte's 1729 translation rendered
 Newton's "nisi quaternus" as unless instead of except insofar, which Hoek argues was erroneous. [16][17] ^ One textbook observes that a block sliding down an inclined plane is what "some cynics view as the dullest problem in all of physics". [23]: 70 Another guips, "Nobody will ever know how many minds, eager to learn the secrets of the universe,
found themselves studying inclined planes and pulleys instead, and decided to switch to some more interesting profession."[15]:173 ^{\circ} For example, José and Saletan (following Mach and Eisenbud[27]) take the conservation of momentum as a fundamental physical principle and treat F = m a {\displaystyle \mathbf {a} } as a definition of momentum as a fundamental physical principle and treat F = m a {\displaystyle \mathbf {a}} as a definition of momentum as a fundamental physical principle and treat F = m a {\displaystyle \mathbf {a}} as a definition of momentum as a fundamental physical principle and treat F = m a {\displaystyle \mathbf {a}} as a definition of momentum as a fundamental physical principle and treat F = m a {\displaystyle \mathbf {a}} as a definition of momentum as a fundamental physical principle and treat F = m a {\displaystyle \mathbf {a}} as a definition of momentum as a fundamental physical principle and treat F = m a {\displaystyle \mathbf {a}} as a definition of momentum as a fundamental physical principle and treat F = m a {\displaystyle \mathbf {a}} as a definition of momentum as a fundamental physical principle and treat F = m a {\displaystyle \mathbf {a}} as a definition of momentum as a fundamental physical principle and treat F = m a {\displaystyle \mathbf {a}} as a definition of momentum as a fundamental physical principle and treat F = m a {\displaystyle \mathbf {a}} as a definition of momentum as a fundamental physical principle and treat F = m a {\displaystyle \mathbf {a}} as a definition of momentum as a fundamental physical principle and treat F = m a {\displaystyle \mathbf {a}} as a definition of momentum as a fundamental physical ph
of "force".[19]: 9 See also Frautschi et al.,[15]: 134 as well as Feynman, Leighton and Sands,[28]: 12-1 who argue that the second law is incomplete without the third law: an observer who sees one body accelerate
 without a matching acceleration of some other body to compensate would conclude, not that a force is acting, but that they are not an inertial observer. [23]: 60 Landau and Lifshitz bypass the question by starting with the Lagrangian formalism rather than the Newtonian. [29] \(^2\) See, for instance, Moebs et al., [31] Gonick and Huffman, [32] Low and
 textbook treatments of this point are Hand and Finch[49]:81 and also Kleppner and Kolenkow.[23]:103 Treatments can be found in, e.g., Chabay et al.[53] and McCallum et al.[53] and McCallum et al.[54]:449 Discussions can be found in, e.g., Chabay et al.[53] and McCallum et al.[54]:449 Discussions can be found in, e.g., Chabay et al.[53] and McCallum et al.[54]:449 Discussions can be found in, for example, Frautschi et al.,[15]:215 Panofsky and Phillips,[83]:272 Goldstein, Poole and Safko,[85]:277 and Werner.[86] Discussions can be found in, for example, Frautschi et al.,[15]:215 Panofsky and Phillips,[83]:272 Goldstein, Poole and Safko,[85]:277 and Werner.[86] Discussions can be found in, for example, Frautschi et al.,[15]:215 Panofsky and Phillips,[83]:272 Goldstein, Poole and Safko,[85]:277 and Werner.[86] Discussions can be found in, for example, Frautschi et al.,[15]:215 Panofsky and Phillips,[83]:272 Goldstein, Poole and Safko,[85]:277 and Werner.[86] Discussions can be found in, for example, Frautschi et al.,[15]:215 Panofsky and Phillips,[83]:272 Goldstein, Poole and Safko,[85]:277 and Werner.[86] Discussions can be found in, for example, Frautschi et al.,[15]:215 Panofsky and Phillips,[83]:272 Goldstein, Poole and Safko,[85]:277 and Werner.[86] Discussions can be found in, for example, Frautschi et al.,[15]:215 Panofsky and Phillips,[83]:272 Goldstein, Poole and Safko,[85]:277 and Phillips,[85]:278 A
can be found in the textbooks by, e.g., Cohen-Tannoudji et al.[99]: 242 and Peres.[100]: 302 ^ As one physicist writes, "Physical theory is possible because we can act on objects around us. Our ability to intervene in nature clarifies even the motion of the planets around the sun - masses so
as far as Kepler. Dynamical concepts are formulated on the basis of what we can set up, control, and measure."[101] See, for example, Caspar and Hellman.[102] ^ Aristotelian physics also had difficulty explaining buoyancy, a point that Galileo tried to resolve without complete success.[106] ^ Anneliese Maier cautions, "Impetus is neither a force, nor
a form of energy, nor momentum in the modern sense; it shares something with all these other concepts, but it is identical with none of them."[108]:79 ^ Newton himself was an enthusiastic alchemist. John Maynard Keynes called him "the last of the magicians" to describe his place in the transition between protoscience and modern science.[118]
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 because the density of ice is lower than that of water (hydrogen bonds create an open crystal structure in the solid phase), and for this reason ice can float. [...] The Aristotelian theory of buoyancy affirms that bodies in a fluid are supported by the resistance of the fluid to being divided by the penetrating object, just as a large piece of wood supports
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